



# Investigation of De-embedding procedures up to 110GHz

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# Outline

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- Introduction
- Calibration
- De-embedding steps
  - OPEN-SHORT
  - 3 steps
  - 4 steps
  - 5 steps
  - 6 steps
- Two-step de-embedding
- Conclusion



# Introduction

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- **Deembedding importance:**
  - For process engineers (technology performance  $f_T$ ,  $f_{max}$ )
  - Highly important for compact device modeling
  - S parameter perfectly corrected
  
- **Main issues**
  - What is an accurate deembedding technique?



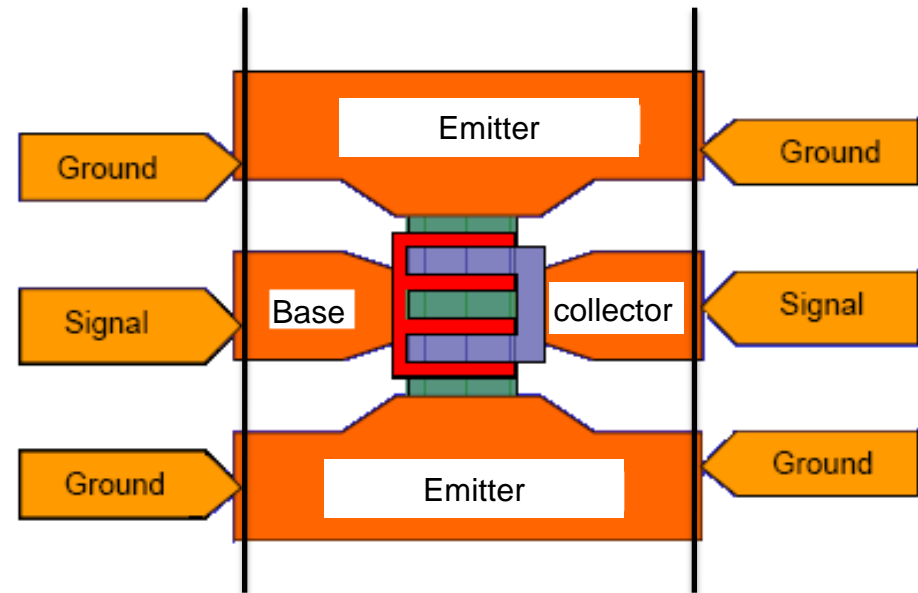
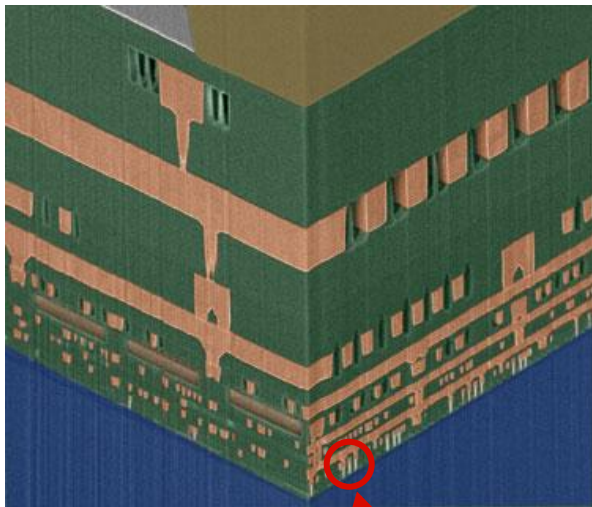
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# Calibration

- Takes into account parasitic between VNA and Probe tips
- After calibration the reference planes are at the probe tips

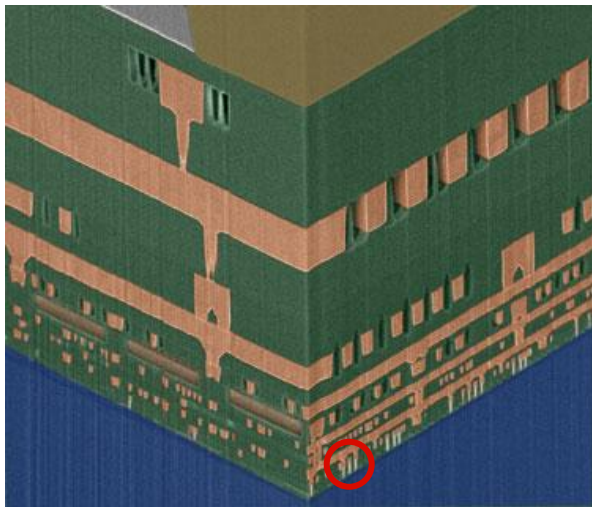


Source: IBM IEEE Spectrum

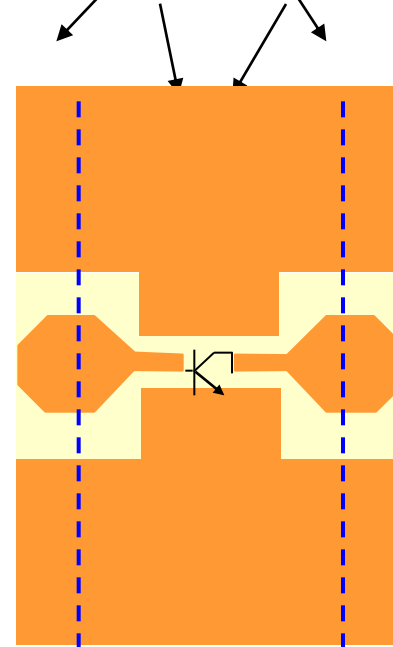
DUT

# De-embedding

- Retrieve intrinsic device performance → de-embedding
- How?!!



Reference plane after calibration  
Reference plane after de-embedding



Source: IBM IEEE Spectrum



# Outline

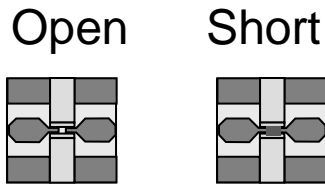
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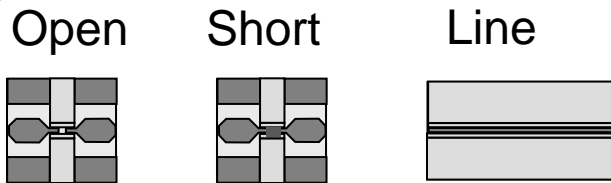
# De-embedding steps

- Open-Short



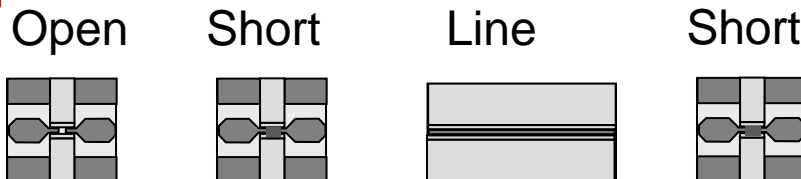
\*Koolen, Bipolar Circuits and Technology Meeting, Sep. 1991

- 3 Steps



\*H. Cho and al., IEEE Trans. Electron Devices, June 1991

- 4 Steps



\* T.E.Kolding, IEEE Trans. Electron Devices, April 2000



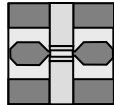
# De-embedding steps

- 5 Steps

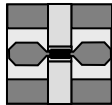
Probes-Short



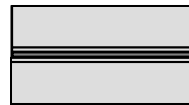
Pad-Open



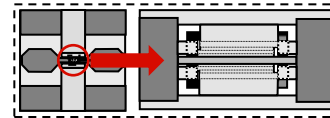
Pad-Short



Line



Complete-Short



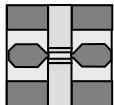
\* F. Pourchon et al, BCTM 08, Invited talk

- 6 Steps

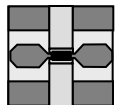
Probes-Short



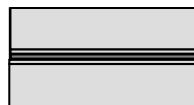
Pad-Open



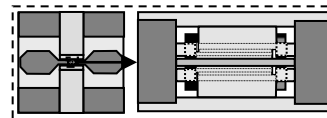
Pad-Short



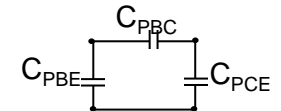
Line



Complete-Short



$C_{PBE}/C_{PBC}/C_{PCE}$

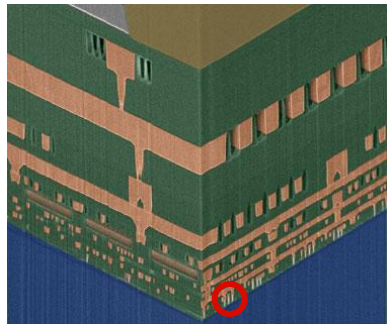
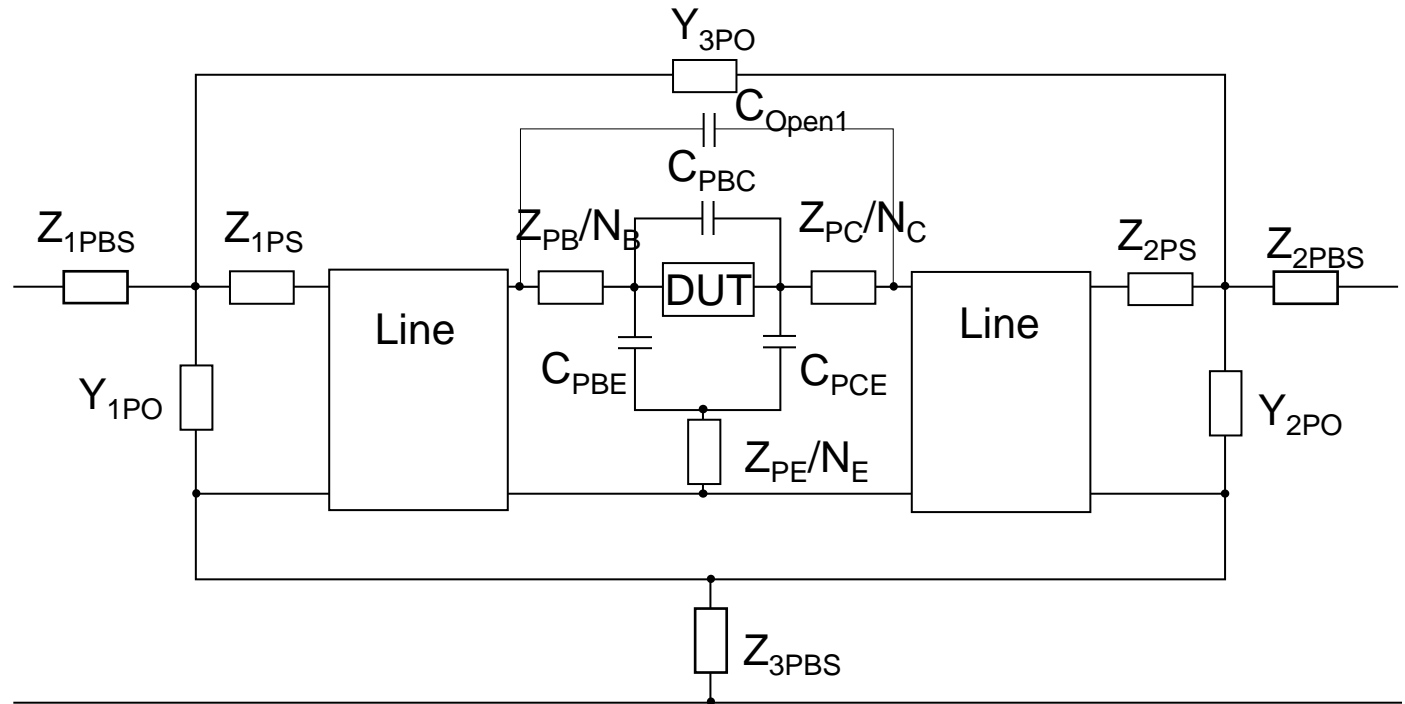


\* C. Raya et al, HICUM Workshop 08



# De-embedding Steps

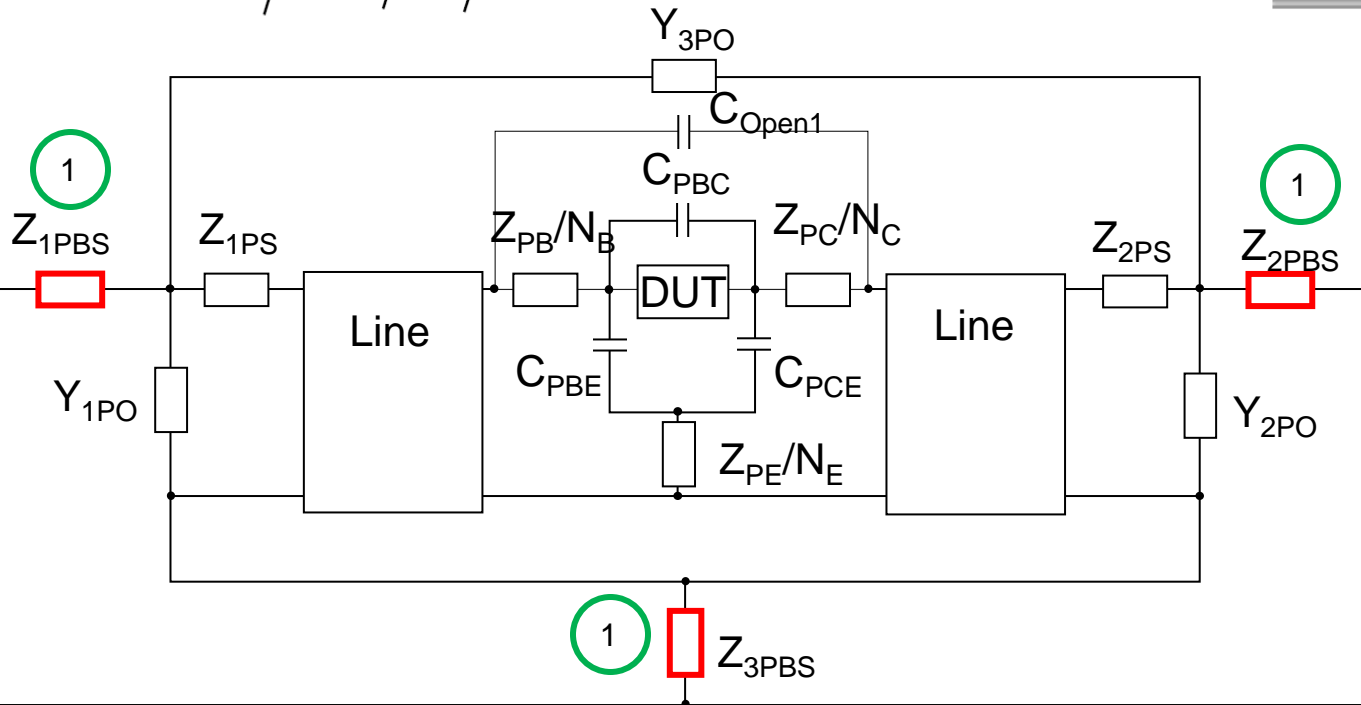
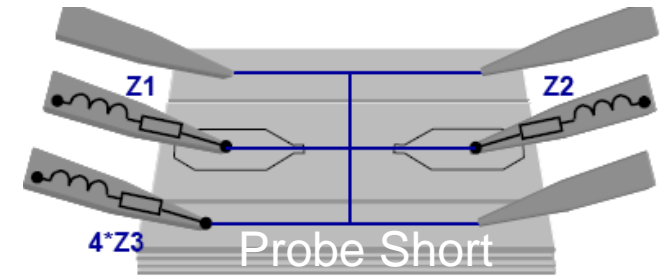
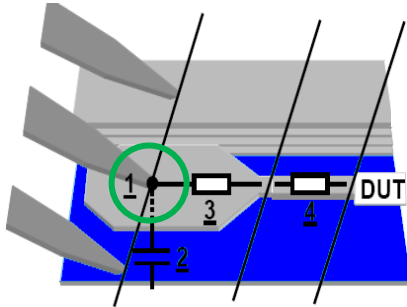
- 5 de-embedding steps



Source: IBM IEEE Spectrum



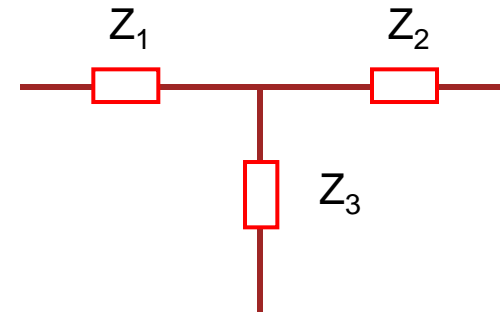
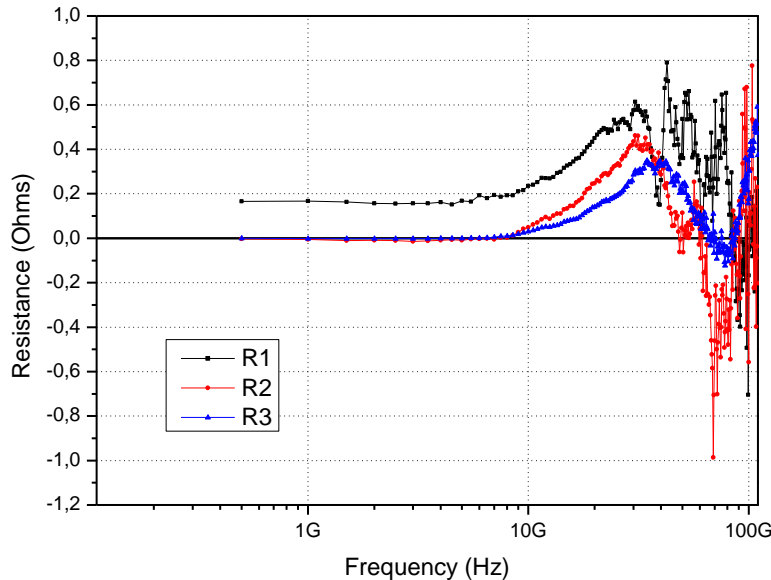
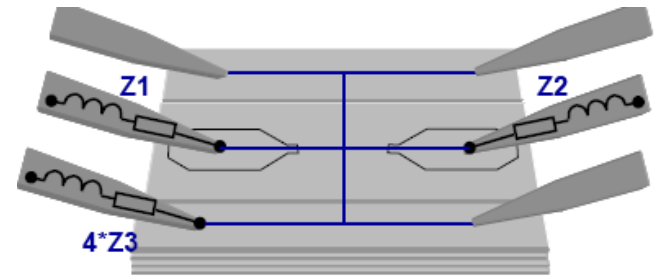
# De-embedded equivalent circuit (1): Probe Short





# Results

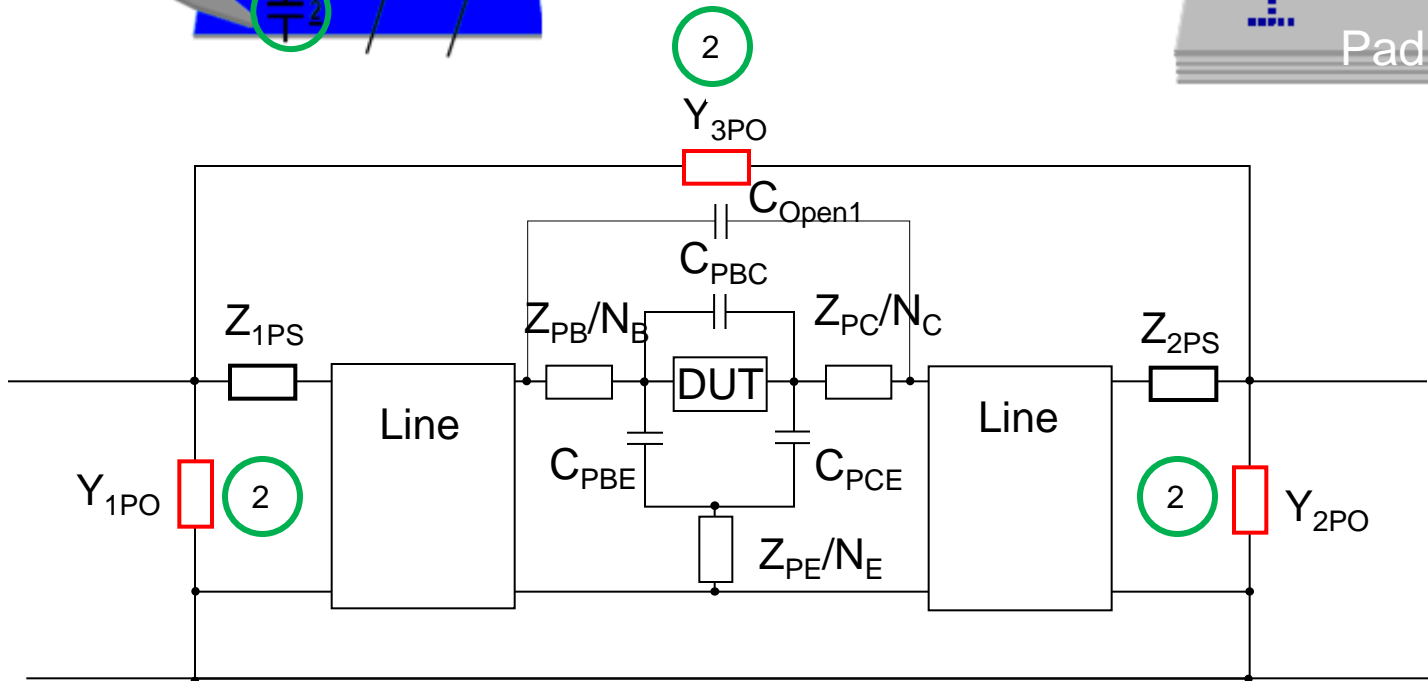
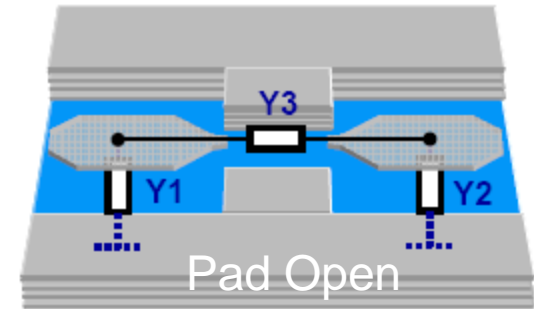
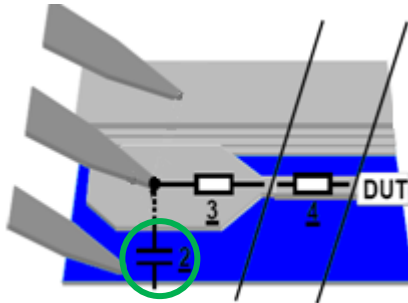
- Probe short:
  - short circuit for the probes
  - Correct the probe contact resistance



Attention: probe contact problem at Port 1  
Manual probing !!!



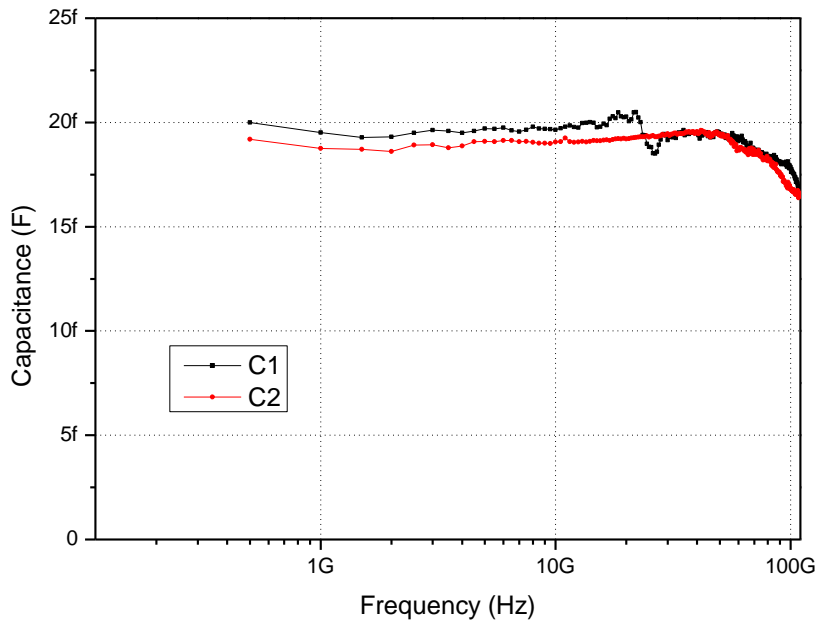
# De-embedded equivalent circuit (2): Pad Open



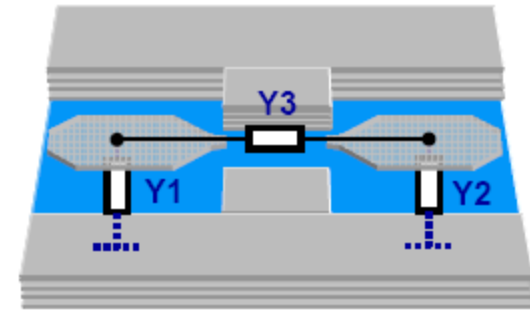


# De-embedded equivalent circuit (2): Pad Open

- Pad capacitance

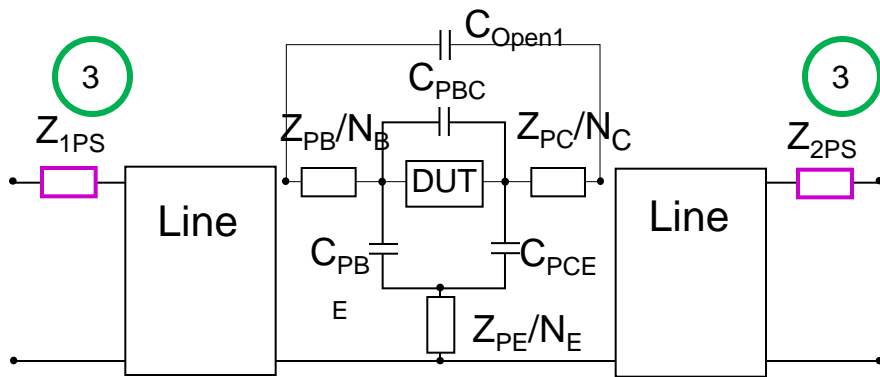
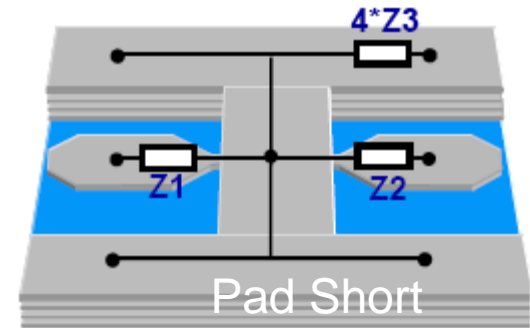
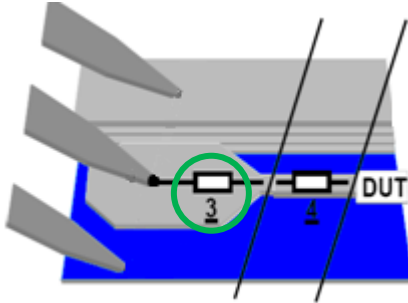


- Equivalent circuit (2)



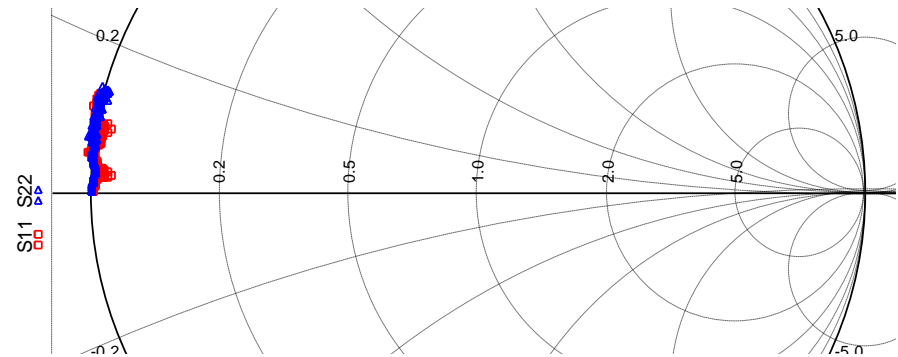
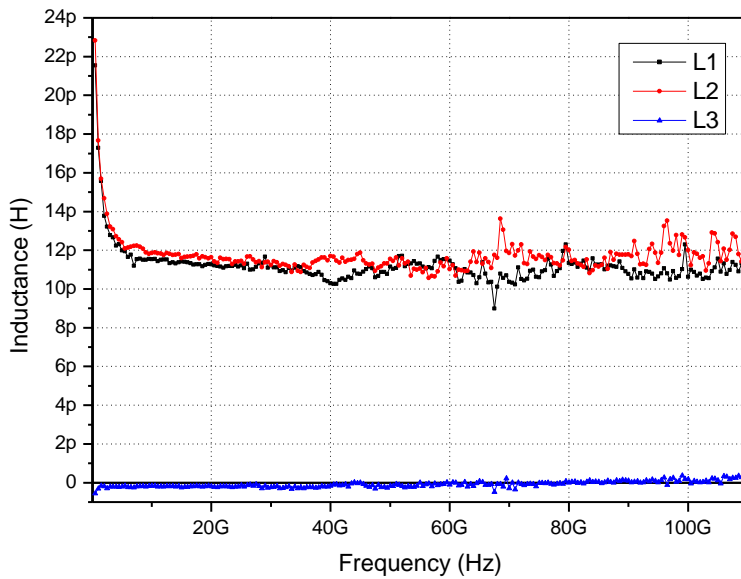
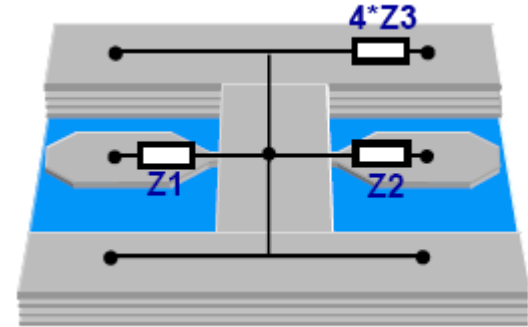


# De-embedded equivalent circuit (3): Pad Short



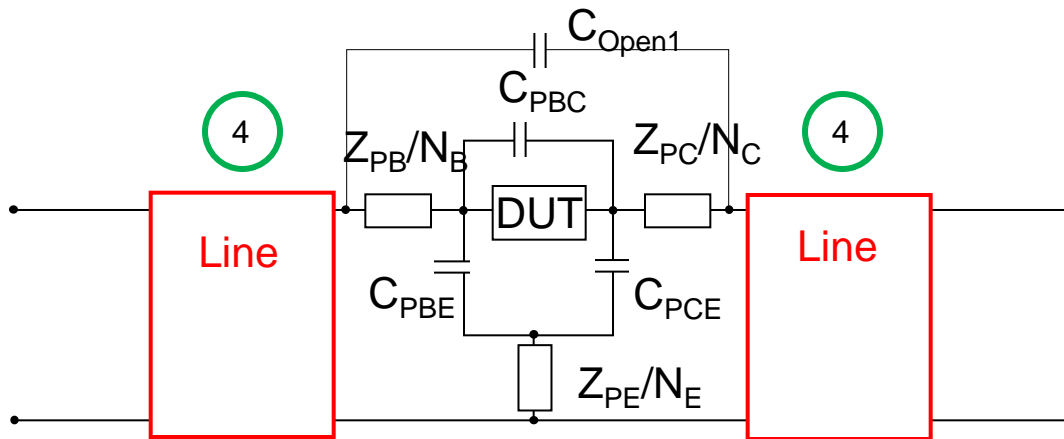
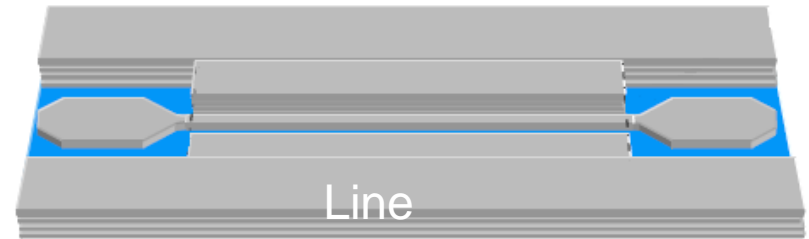
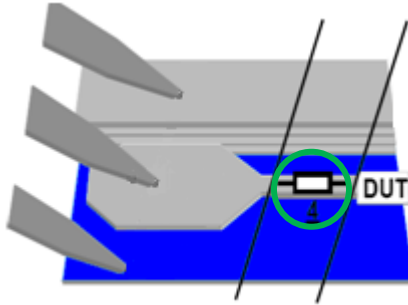
# De-embedded equivalent circuit (3): Pad Short

- Pad short:
  - short circuit at the edge of the signal pad.





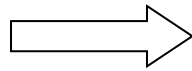
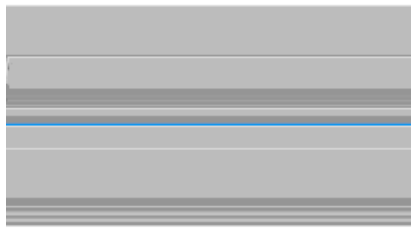
# De-embedded equivalent circuit (4): Line scalable



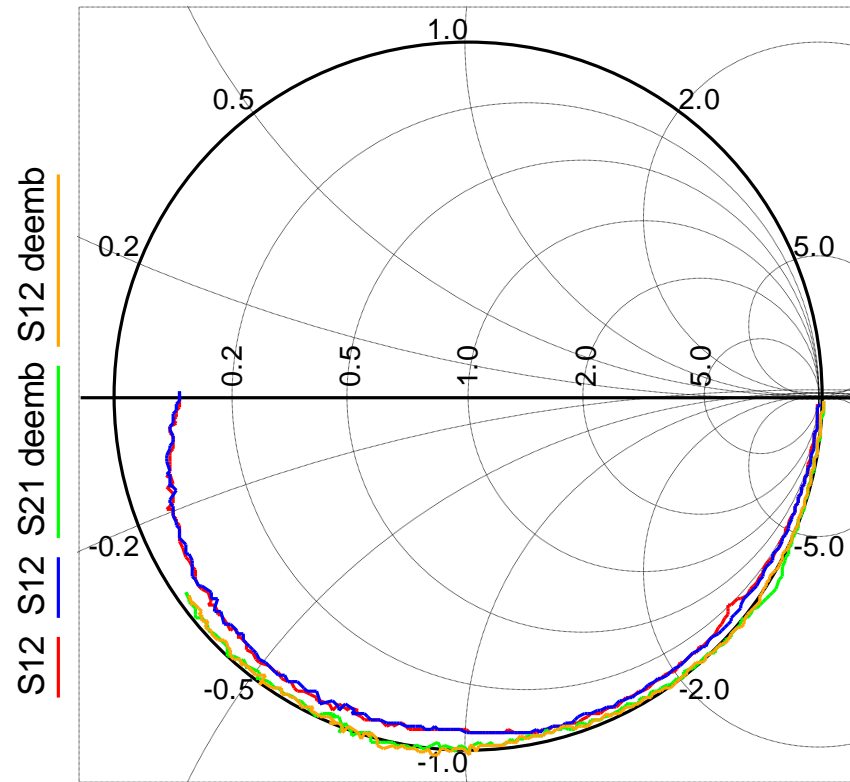


# De-embedded equivalent circuit (4): Line scalable

- First: measure and de-embed a long line:



Line de-embedding

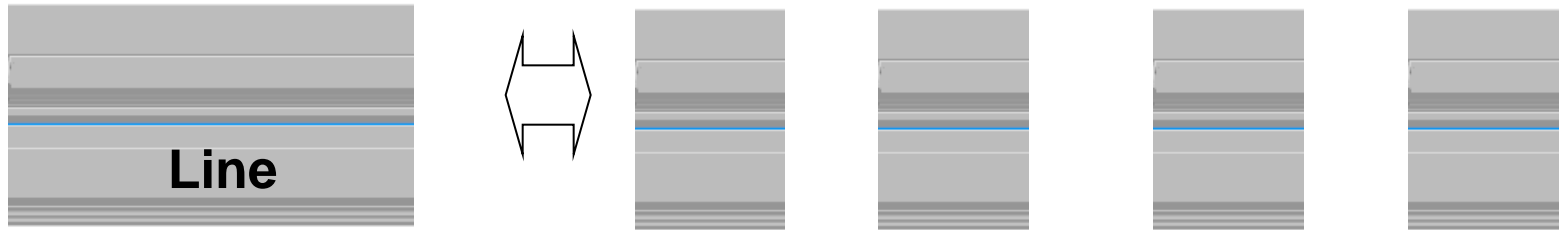
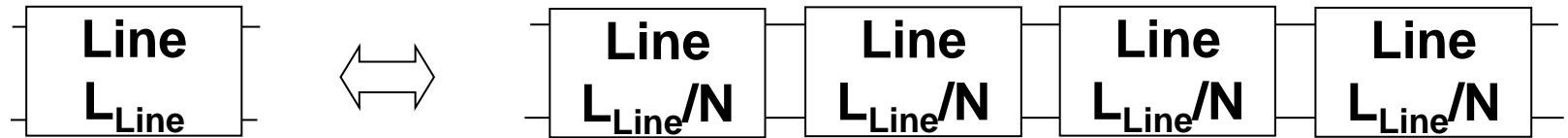


Frequency



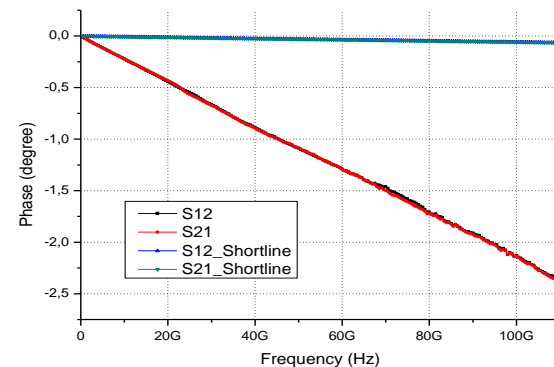
# Re-dimensioning the line

N=4



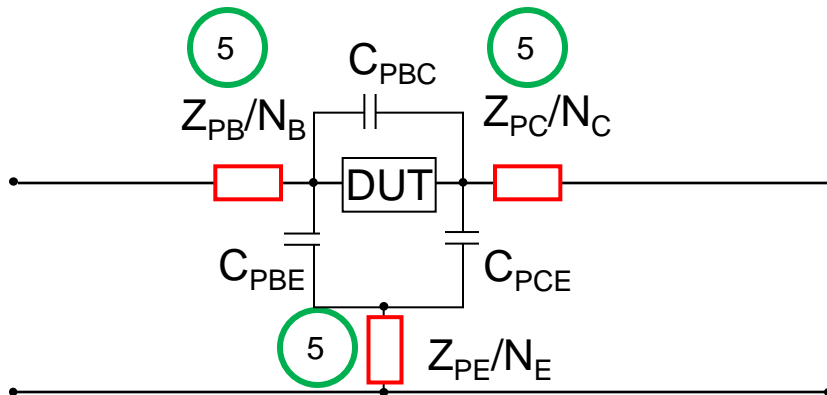
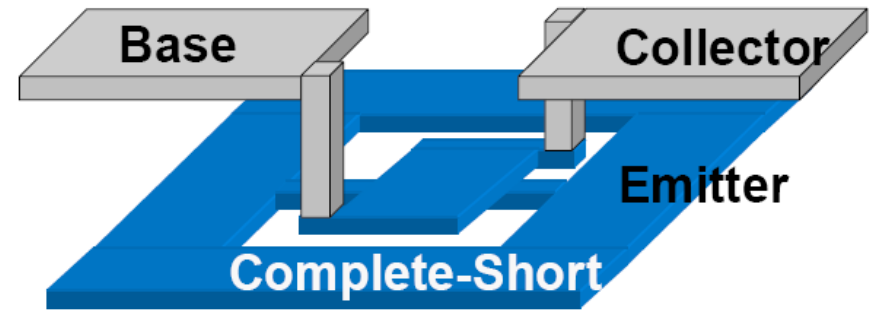
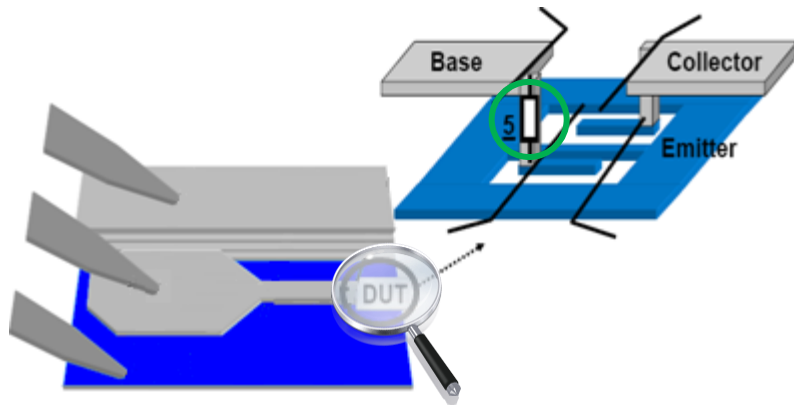
$$T = a + d \quad K = a - d \quad \Delta = K^2 + 4bc \quad \delta = \sqrt{\Delta} \text{ si } \Delta \geq 0 \text{ ou } \delta = i\sqrt{|\Delta|} \text{ si } \Delta < 0 \quad n = L_1 / L_{Line}$$

$$\begin{bmatrix} a & b \\ c & d \end{bmatrix}^{-1} = \frac{1}{\delta} \begin{bmatrix} \frac{(\delta + K)(T + \delta)^n + (\delta - K)(T - \delta)^n}{2^{n+1}} & b \left( \frac{(T + \delta)^n - (T - \delta)^n}{2^n} \right) \\ c \left( \frac{(T + \delta)^n - (T - \delta)^n}{2^n} \right) & \frac{(\delta - K)(T + \delta)^n + (\delta + K)(T - \delta)^n}{2^{n+1}} \end{bmatrix}$$



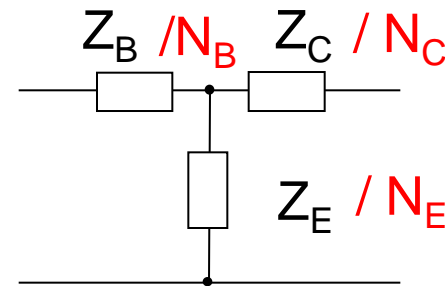
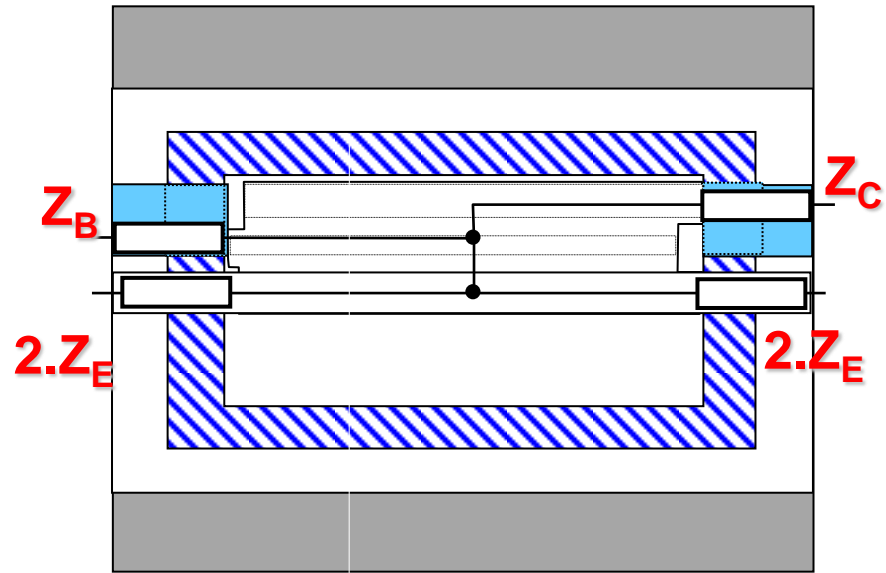
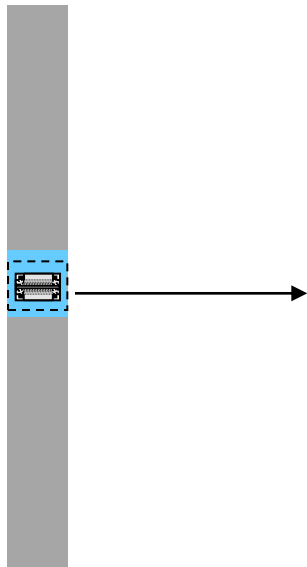


# De-embedded equivalent circuit (5): Complete short





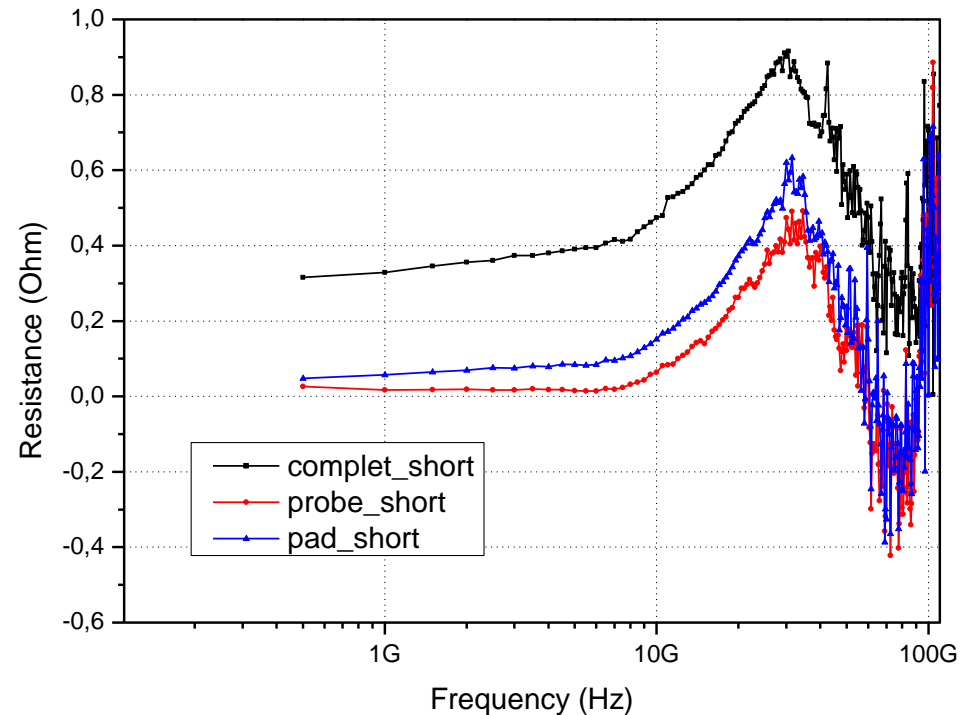
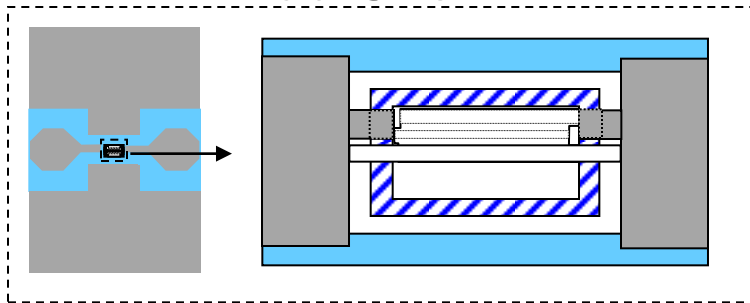
# De-embedded equivalent circuit (5): Complete short



$Z_B$ : Base impedance  
 $Z_C$ : Collector impedance  
 $Z_E$ : Emitter impedance



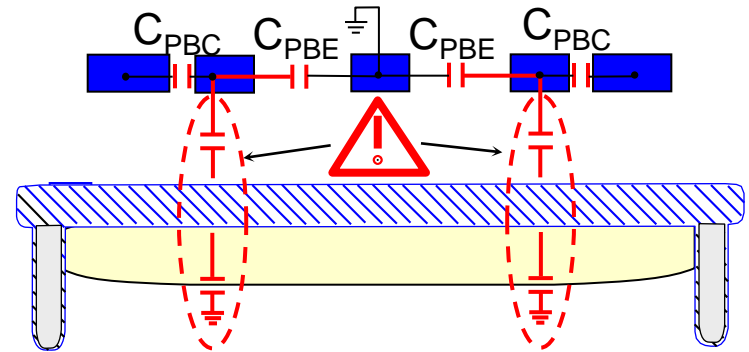
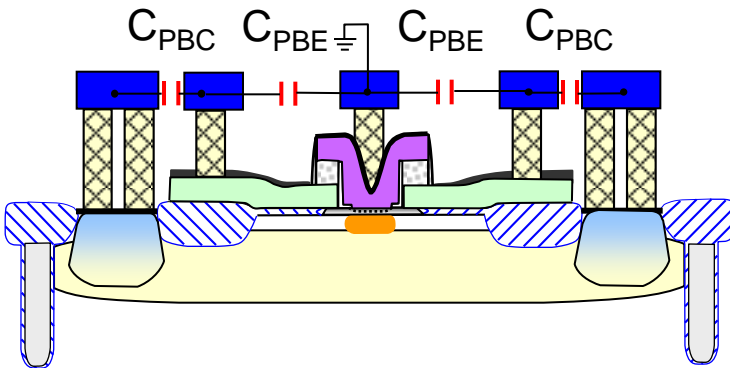
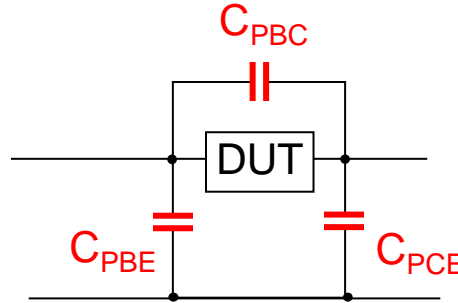
# The three shorts:





# De-embedded equivalent circuit (6): Capacitances

- 6 de-embedding steps

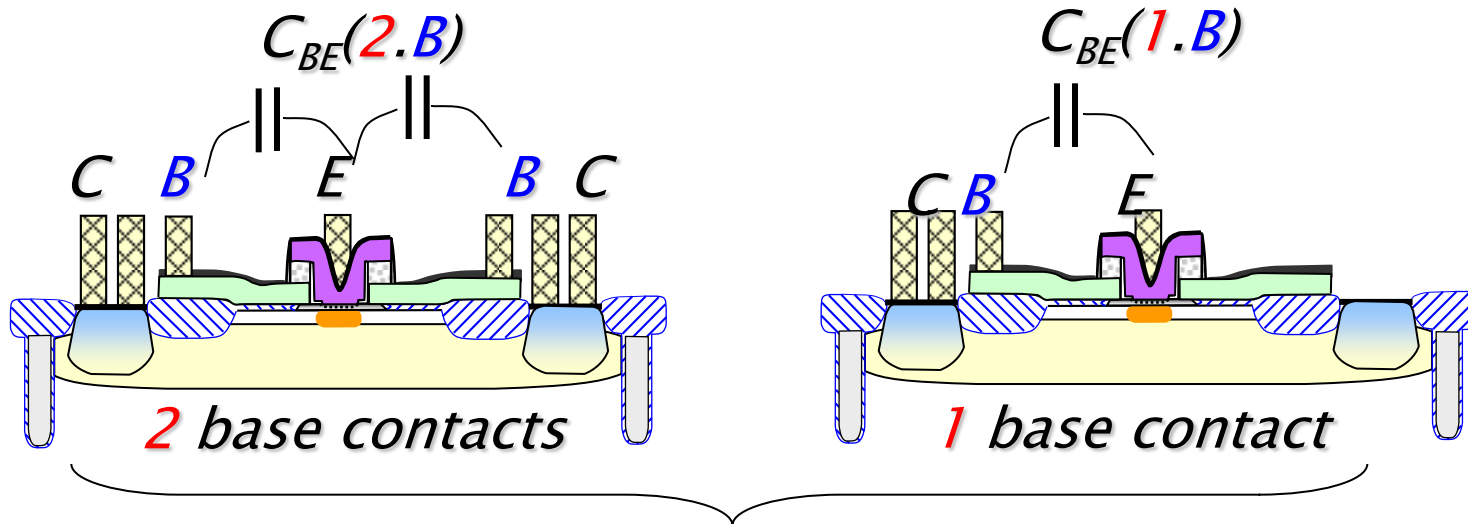


Open2

Specific open could be used only between port 1 & 2 ( $C_{PBC}$  capacitance)

# De-embedded equivalent circuit (6): Capacitances

## Symmetrical test structures



$$C_{backend(1.B)} \approx C_{BE(2.B)} - C_{BE(1.B)}$$

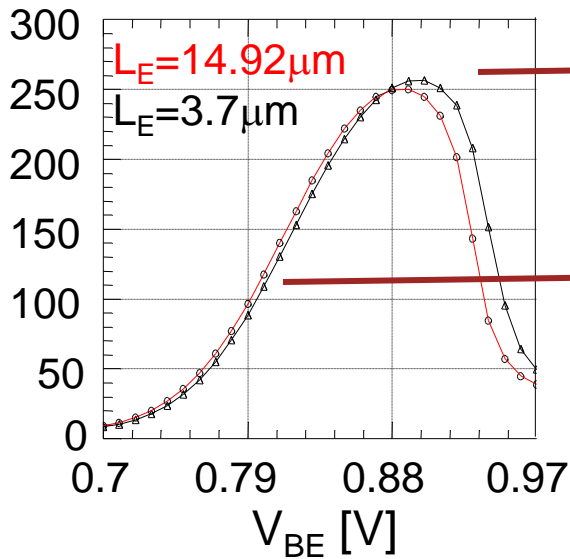


# Comparison (Open Vs 6 steps):

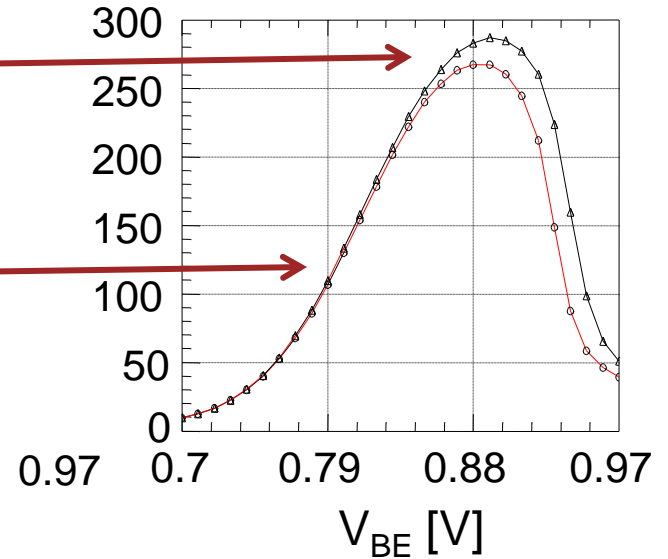
BiCMOS9MW CBEBC  $W_E=0.3\mu\text{m}$ ,  $L_E=14.92\mu\text{m}$  et  $L_E=3.7\mu\text{m}$

$V_{BC}=-0.5\text{V}$

$f_T$  [GHz] Open correction



$f_T$  [GHz] Full correction (6 steps)



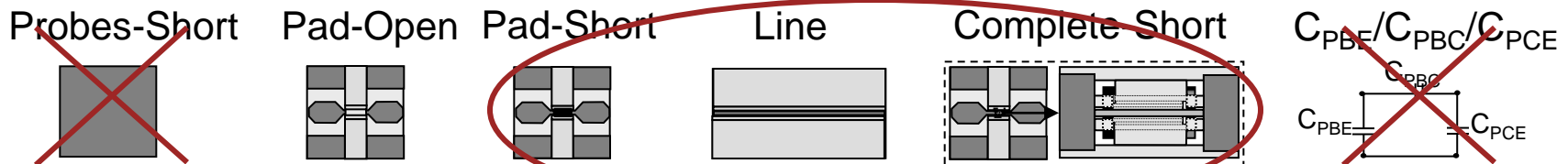
$f_T$  extracted from measurements @10GHz



# Discussion

- Good correction for 6 steps
- Different type of dummies → processing is more complex
- More de-embedding dummies for one DUT
  - Large set of devices end by doubling or tripling the number of dummies → Si area

**6 steps very complex → Specified approach, Two steps**

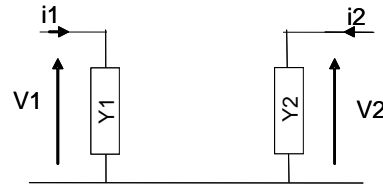
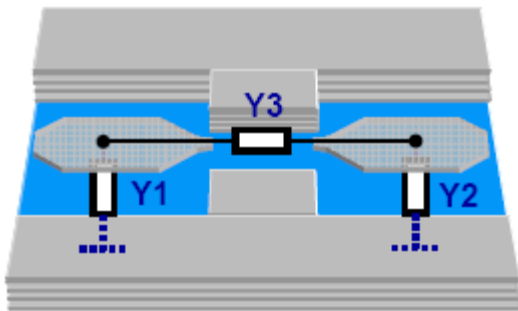


R, L circuit



# Two-Step de-embedding

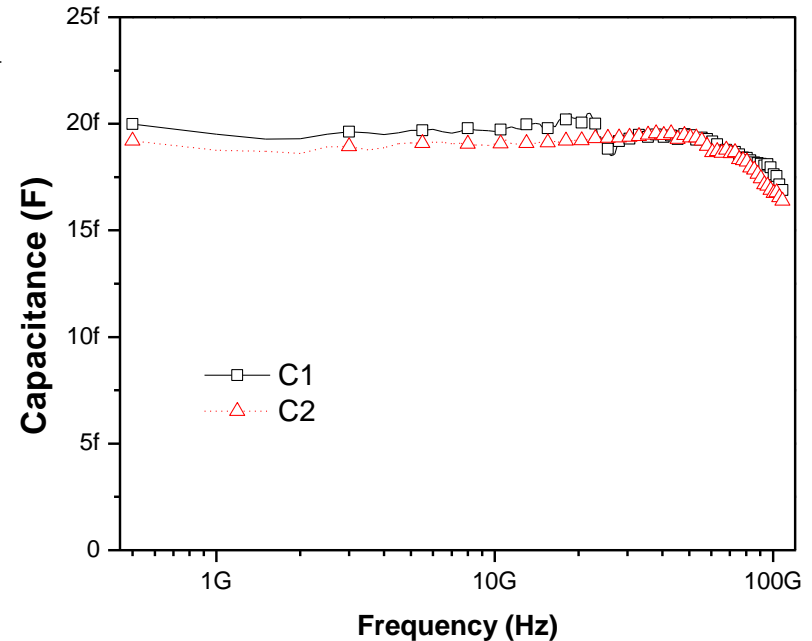
- Pad Open



$$\begin{pmatrix} i_1 \\ i_2 \end{pmatrix} = \begin{pmatrix} Y_{11} & Y_{12} \\ Y_{21} & Y_{22} \end{pmatrix} \begin{pmatrix} v_1 \\ v_2 \end{pmatrix}$$

$$C_1 = \left( \frac{1}{2 * \pi * f} \right) \text{Im}(Y_{11})$$

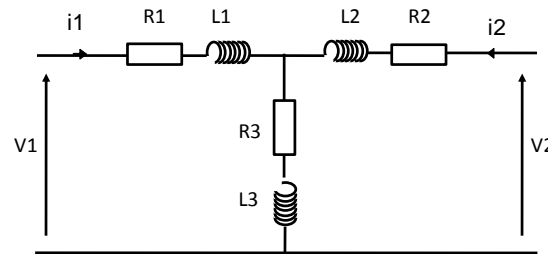
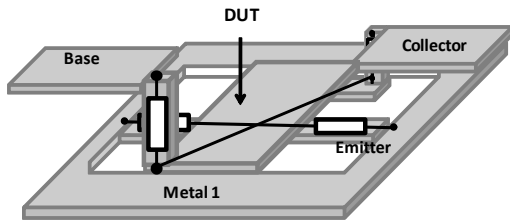
$$C_2 = \left( \frac{1}{2 * \pi * f} \right) \text{Im}(Y_{22})$$





# Two-Step de-embedding

- Complete-Short

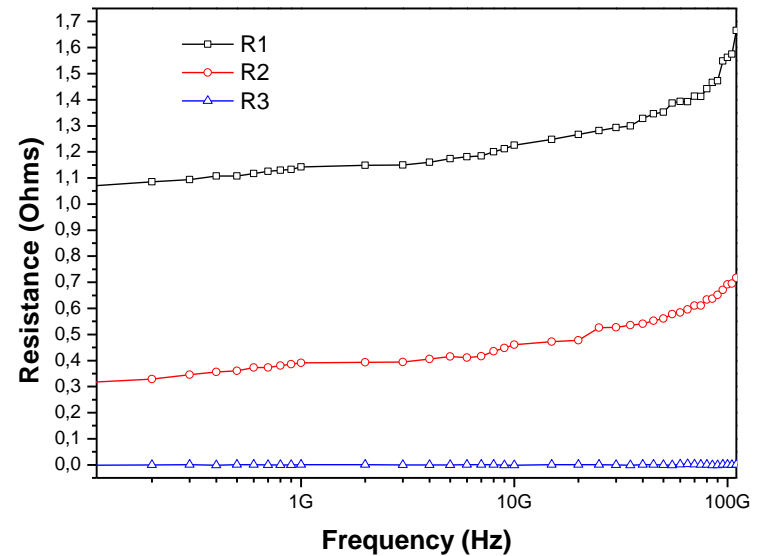


$$\begin{pmatrix} v_1 \\ v_2 \end{pmatrix} = \begin{pmatrix} Z_{11} & Z_{12} \\ Z_{21} & Z_{22} \end{pmatrix} \begin{pmatrix} i_1 \\ i_2 \end{pmatrix}$$

$$R_1 = \text{Re}(Z_{11}) - \text{Re}(Z_{12})$$

$$R_2 = \text{Re}(Z_{22}) - \text{Re}(Z_{21})$$

$$R_3 = (\text{Re}(Z_{12}) - \text{Re}(Z_{21}))/2$$

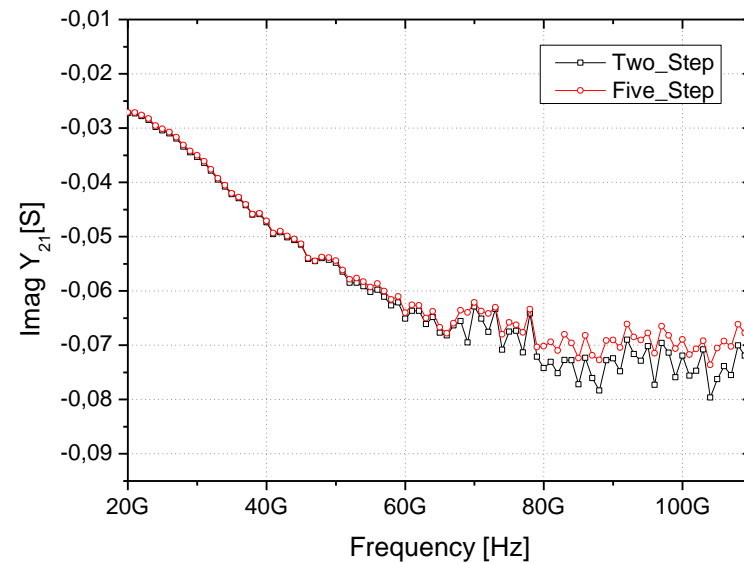
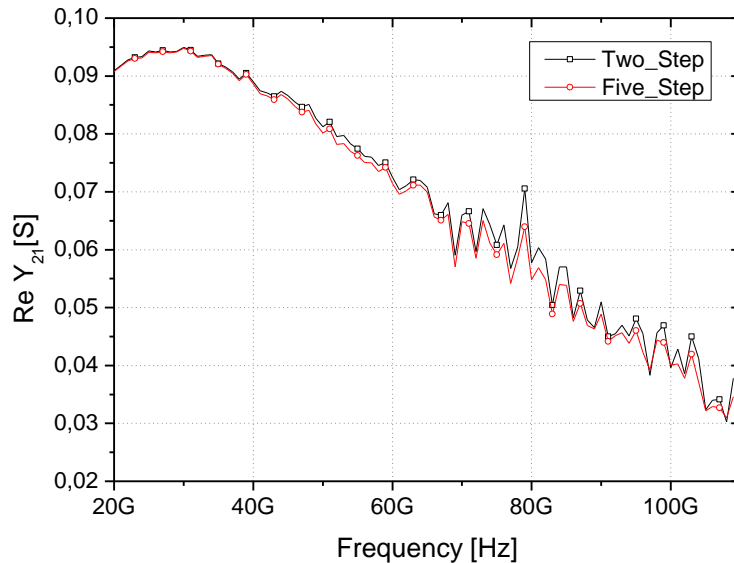




# Comparison:

- Validation of the Two-steps method

CBEBc  $L_E=5\mu\text{m}$ ,  $V_{BE}=0.9\text{V}$ ,  $V_{CB}=0\text{V}$

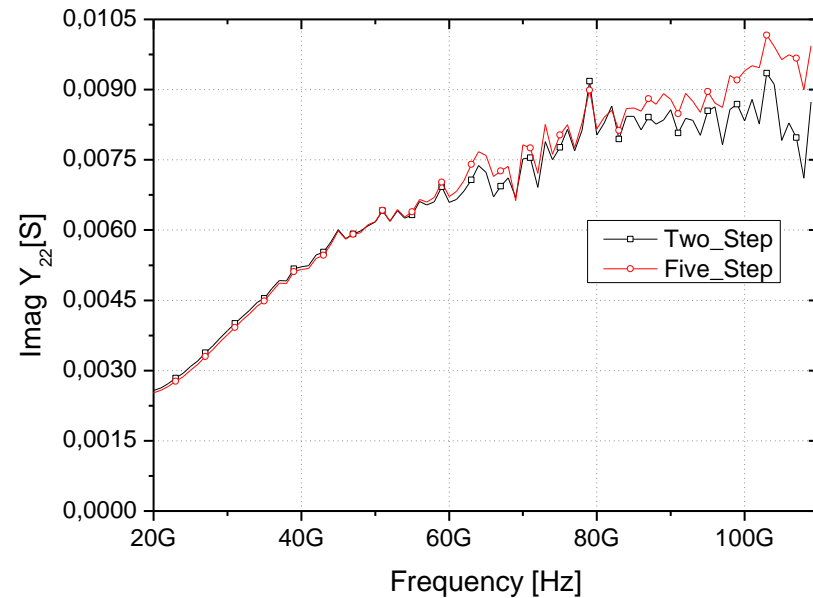
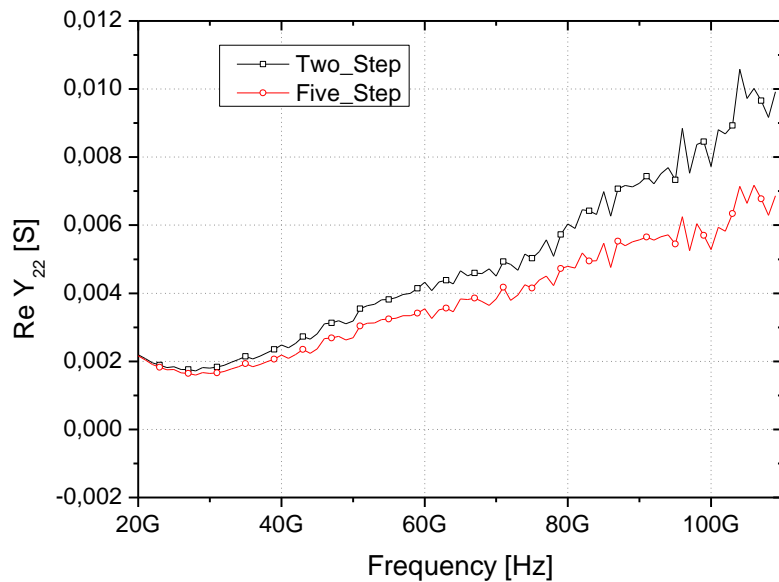




# Comparison:

- Validation of the Two-steps method

CBEBc  $L_E=5\mu\text{m}$ ,  $V_{BE}=0.9\text{V}$ ,  $V_{CB}=0\text{V}$





# Conclusion

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- Different de-embedding methods were presented
- A scalable solution for deembedding is the key
- De-embedding structures use a lot of Si surface
- Pad open and complete short may be sufficient



# Acknowledgements

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- This work is part of the:
  - Dotfive project supported by the European Commission through the Seventh Framework Programme for Research and Technological Development
- Acknowledgements also to the Medea+ “Siam” project
- We want to thank F. Pourchon, D. Celi and N. Derrier from ST and C. Raya from XMOD Technologies for helpful discussions.
- A “grand merci” to Magali for efficient support and the very accurate measurements.



Thanks For Your  
attention